

Q3A

1.

(a) $750/11 \text{ m/s}^2$.

(b) $F/(20 + M) = 2F/(20 + 3M)$, so $M = 20 \text{ kg}$.

AbCq3z

2.

(a) The max static friction is $F_M = \mu_s Mg$.

(b) If the box is moving, there is a kinetic friction force $= \mu_k Mg$, so the net force is $M(\mu_s - \mu_k)g$. Therefore, $a = (\mu_s - \mu_k)g$.

Q3B

1.

(a) $Ma = W - Mg$, so $W = M(a + g)$. $M = 55$, and $W/g = M(a/g + 1) = 60$, so $a = (60/55 - 1)g = g/11 = 0.89 \text{ m/s}^2$.

(b) $v = v_0 + at$ implies $v = -8 + 2 \times 0.89 = -6.22 \text{ m/s}$. 6.22 m/s downward.

2.

(a) The frictional force must balance the gravitational force in the slope direction: $f = Mg \sin 30 = Mg/2$.

(b) The friction $Mg\mu_k \cos 30^\circ$ balances the x -component of gravity is $Mg/2$, so $\mu_k = 1/\sqrt{3}$.

Q3C

1.

(a) $590/25 = 23.6 \text{ m/s}^2$.

(b) $F/(M+25) = (3/2)F/(M+m+25)$, so $3M+75 = 2M+2m+50$, so $M = 2m-25 = -5$. Impossible.

2.

(a) $Mg \cos 30^\circ$.

(b) The acceleration is $g/2$, so $0 = 2.3^2 + 9.8\Delta x = 2.3^2 - 2gH$. Therefore, $H = 0.27 \text{ m}$.

Q3D

1.

(a) $a_A/a_B = m/M$.

(b) Obviously (or due to the equivalence principle) 1.

2.

(a) The acceleration in the positive x -direction is $g/2 + \mu_k \sqrt{3}g/2 = (1/2 + 0.1\sqrt{3})g = 6.6 \text{ m/s}^2$. $-v_0 + 6.6 \times 2.5 = 0$, so $v_0 = 16.5 \text{ m/s}$.

(b) After coming to a halt, it never moves again (because $\mu_s > \tan 30^\circ$), so the highest position is the wanted position. Its x -coordinate is $-(1/2)6.6(2.5)^2 = -20.6 \text{ m}$.